# **PPDyn**

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## **INSTALLATION**

# 1.1 Prerequisites

- Python3 or higher
- GNU Make (If you are installing from GitHub)
- git (If you are installing from GitHub)

## 1.2 Procedure

*PPDyn* can be installed in two ways.

- 1. Using pip from PyPI
- 2. Using git clone from GitHub

# 1.2.1 Using pip from PyPI

pip install PPDyn

# 1.2.2 Using git clone from GitHub

First make a clone of the master branch using the following command

git clone https://github.com/sayanadhikari/PPDyn.git

Then enter inside the PPDyn directory

cd PPDyn

Now complile and built the PPDyn code

make all

**TWO** 

# **GETTING STARTED**

# 2.1 PyPI build

If you used PyPI to build the project, Download the input template to your working directory

```
wget https://raw.githubusercontent.com/sayanadhikari/PPDyn/main/input.ini
```

Now, either create a python script in your working directory or use your python console

```
from PPDyn import ppdyn
from PPDyn.ppdplot import animate
import time

start = time.time()
ppdyn(input)
end = time.time()
print("Elapsed (after compilation) = %s"%(end - start)+" seconds")
animate()
```

#### 2.2 GNU Make build

If you used GNU Make to build the project, upon successful compilation, run the code using following command

```
ppdyn --i input.ini
```

## **SETTING UP PARAMETERS FOR SIMULATION**

Edit the input.ini or make your own .ini and run the code. The basic structure of input.ini is provided below,

```
; @file input.ini
; @brief PPDyn inputfile.
scope = default
[simbox]
Lx = 10.0
           ; System length in X
Ly = 10.0 ; System length in Y
Lz = 10.0 ; System length in Z
[particles]
N = 100 ; Number of particles
Vxmax = 1.0; Maximum velocity in X
Vymax = 1.0 ; Maximum velocity in Y Vzmax = 1.0 ; Maximum velocity in Z
Temp = 0.010 ;
[boundary]
btype = periodic ; Type of boundary
[time]
tmax = 50.0; Final time
dt = 0.010; time step size
[diagnostics]
dumpPeriod = 10 ; Data dump period
dumpData
         = False
[options]
parallelMode = True ;set to false to disable parallel
```

#### **CONTRIBUTING TO PPDYN**

We want to make contributing to this project as easy and transparent as possible.

# **4.1 Our Development Process**

We use GitHub to sync code to and from our internal repository. We'll use GitHub to track issues and feature requests, as well as accept pull requests.

# 4.2 Pull Requests

We actively welcome your pull requests.

- Fork the repo and create your branch from master.
- If you've added code that should be tested, add tests.
- Ensure the test suite passes.
- Make sure your code lints.

## 4.3 Contributions under the MIT Software License

When you submit code changes, your submissions are understood to be under the same MIT License that covers the project. Feel free to contact the maintainers if that's a concern.

#### 4.4 Issues

We use GitHub issues to track public bugs. Please ensure your description is clear and has sufficient instructions to be able to reproduce the issue.

# 4.5 Coding Style

- tabs for indentation rather than 2 spaces
- 80 character line length

**Important:** By contributing to PPDyn, you agree that your contributions will be licensed under its MIT License.

Note: This document was adapted from the open-source contribution guidelines for Facebook's Draft

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## **PHYSICS MODEL**

Molecular Dynamics simulation (MD) is a powerful method to study atomic and molecular processes. In plasma physics, it has vast applications starting from fusion plasma to dusty plasma. It solves the equation of motion using Newton equations of motion (or Langevin dynamics which includes energy dissipation through an additional friction term):

$$\frac{\partial^2}{\partial t^2} \vec{r_i} = \frac{1}{m_i} \vec{f_i} \vec{f_i} = -\frac{\partial}{\partial r} V(\vec{r_1}(t), \vec{r_i}(t), \; ..., \; \vec{r_N}(t))$$

where  $\vec{r}_i(t)$  is the position of atom i at time t with mass  $m_i$ , and V is the interaction potential between all N involved species.

# SIX

# **INDICES AND TABLES**

- genindex
- modindex
- search